



Calculation Policy

May 2014

Purpose and Aims

The key aim of this policy is to develop calculation across the school, basing all learning on understanding, never on processes. Pupils are supported to record what they understand. It has been written to ensure consistency and progression throughout the school. It is not intended as a straightjacket, nor is it a scheme of work. It recognises that pupils will develop their mathematical skills at different rates and have their own individual learning styles. They will develop calculation skills through a combination of practical, oral and mental activities. Although the focus of this policy is on pencil and paper procedures, it is important to recognise that in every written method there is an element of mental processing. Written calculation strategies will therefore be taught alongside mental calculation strategies and should be seen as complementary to and not as separate from them.

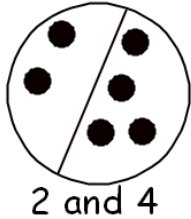
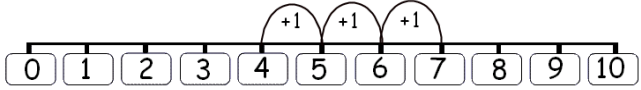
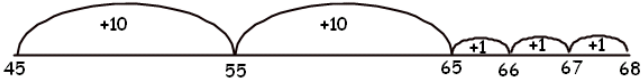

Informal written recording will take place regularly and is an important part of learning and understanding. More formal written methods follow only when the student is able to use a wide range of mental calculation strategies. The emphasis of our teaching will always be to facilitate understanding and not simply to arrive at a correct answer. It should also be noted that the intention is not for the pupil to reach the last step as quickly as possible, but to progress through the steps at their own pace, focusing on understanding and becoming fully comfortable with the method.

Our aim is for pupils to be able to select an efficient method of their choice (whether this be mental, written or using a calculator) that is appropriate for a given task. They will do this by always asking themselves:


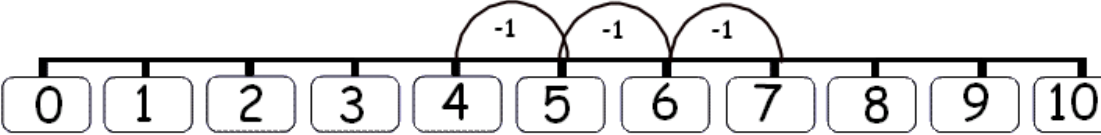
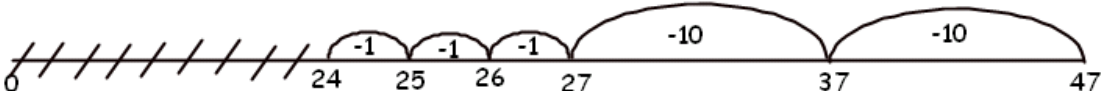
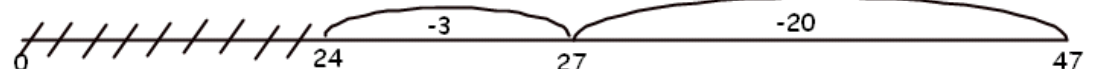
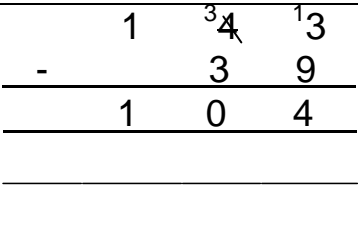
- 'Can I do this in my head?'
- 'Can I do this in my head using drawings or jottings?'
- 'Do I need to use a pencil and paper procedure?'
- 'Do I need a calculator?'

The policy reflects the views of all the staff of the school. It has been drawn up following consultation with staff and has full agreement of the Governing Body and staff. All staff are fully aware of their role in its implementation. Staff have access to the Policy via the *Staff Room*, and on the school's server via the Teacher's Drive. Parents are also able to access a copy of the policy upon request.

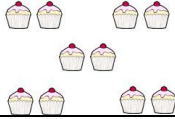
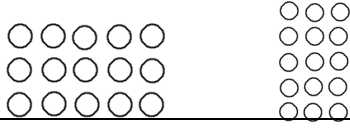
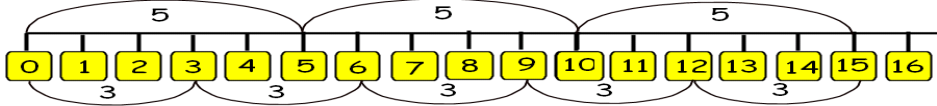
Addition

Step	Method	Example
Step 1	Using pictures and counting totals.	$2 + 4 = 6$ 
Step 2	Using number lines and counting on in units.	$4 + 3 = 7$ 
Step 3	Using number lines and making jumps of tens and units (progressing to unmarked number lines).	$45 + 23 = 68$ 
Step 4	Using partitioning to make jumps up the number line.	$45 + 23 = 68$ 
Step 5	Using partitioning without the aid of a number line.	$45 + 23$ $5 + 3 = 8$ $40 + 20 = 60$ $60 + 8 = 68$
Step 6	Using a vertical method of expanded notation.	$45 + 23$ $\begin{array}{r} 45 \\ +23 \\ \hline 8 \\ 60 \\ \hline 68 \end{array}$
Step 7	Using a traditional vertical method involving 'carrying' (progressing on to numbers including decimals).	$123 + 48$ $\begin{array}{r} 123 \\ + 48 \\ \hline 171 \\ \hline 1 \end{array}$

Subtraction

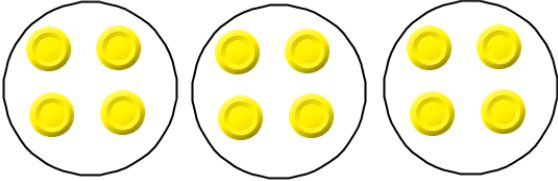
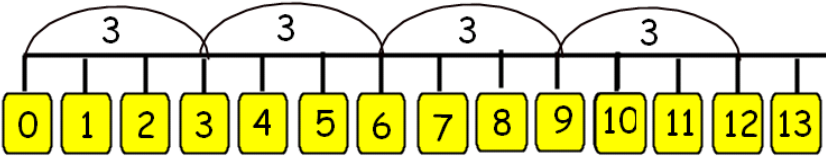
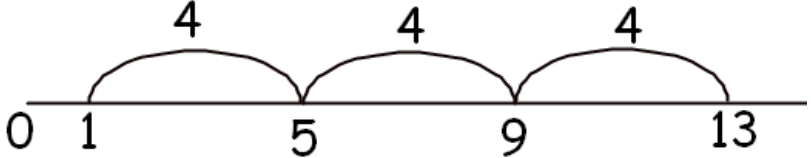
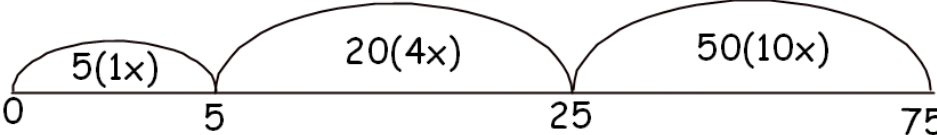
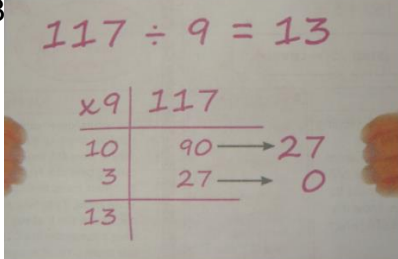
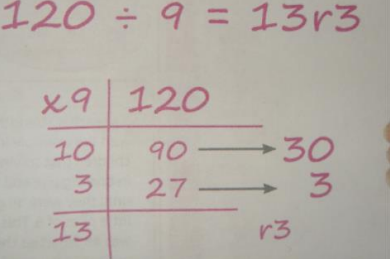
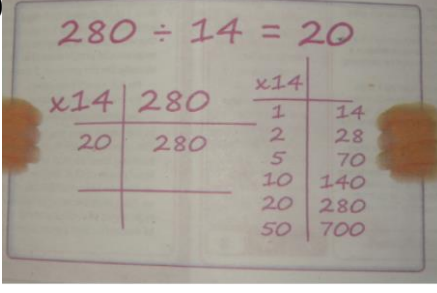
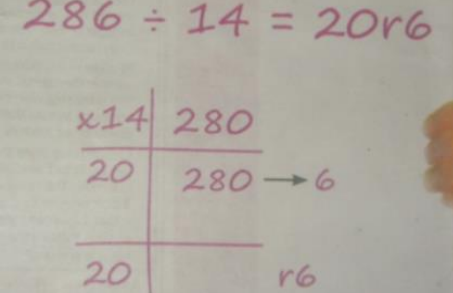
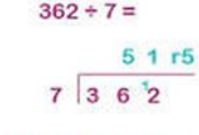
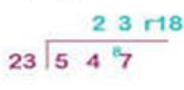
Step	Method	Example
Step 1	Using pictures	$8 - 2 = 6$ 
Step 2	Using number lines and counting back in units	$7 - 3 = 4$ 
Step 3	Using number lines and making jumps back in tens and units (progressing to unmarked number lines)	$47 - 23 = 24$ 
Step 4	Using partitioning to make jumps down the number line	$47 - 23 = 24$ 
Step 5	Using decomposition	$\begin{array}{r} 89 \\ - 57 \\ \hline \end{array} = \begin{array}{r} 80 \\ - 50 \\ \hline 30 \end{array} + \begin{array}{r} 9 \\ + 7 \\ \hline 16 \end{array} = 32$
Step 6	Using decomposition and exchanging	$\begin{array}{r} {}^{60}70 \\ - 40 \\ \hline 20 \end{array} + \begin{array}{r} {}^11 \\ + 6 \\ \hline 17 \end{array} = 25$
Step 7	Using a traditional column method and exchanging	$143 - 39 = 104$ 

Multiplication

Step	Method	Example																				
Step 1	Using pictures to make groups of objects.	$2 \times 5 = 10$ 																				
Step 2	Using arrays	$3 \times 5 = 15$ 																				
Step 3	As repeated addition on a number line (progressing to an unmarked number line)	$3 \times 5 = 15$ 																				
Step 4	Using the grid method for short and long multiplication (including decimal numbers) (See appendix 1, smile multiplication, for multiplying multiples of 10.)	<div style="display: flex; justify-content: space-around;"> <div style="text-align: center;"> 346×9 <table border="1" style="margin: 10px 0;"> <tr><td>x</td><td>300</td><td>40</td><td>6</td></tr> <tr><td>9</td><td>2700</td><td>360</td><td>54</td></tr> </table> $\begin{array}{r} 2700 \\ 360 \\ 54 \\ + \\ \hline 3114 \\ \hline 11 \end{array}$ </div> <div style="text-align: center;"> 372×24 <table border="1" style="margin: 10px 0;"> <tr><td>x</td><td>300</td><td>70</td><td>2</td></tr> <tr><td>20</td><td>6000</td><td>1400</td><td>40</td></tr> <tr><td>4</td><td>1200</td><td>280</td><td>8</td></tr> </table> $\begin{array}{r} 6000 \\ 1400 \\ 1200 \\ 280 \\ 40 \\ 8 \\ + \\ \hline 8928 \\ \hline 1 \end{array}$ </div> </div>	x	300	40	6	9	2700	360	54	x	300	70	2	20	6000	1400	40	4	1200	280	8
x	300	40	6																			
9	2700	360	54																			
x	300	70	2																			
20	6000	1400	40																			
4	1200	280	8																			
Step 5	Using a vertical method of expanded notation for short and long multiplication	<div style="display: flex; justify-content: space-around;"> <div style="text-align: center;"> 378×4 $\begin{array}{r} 378 \\ \times 4 \\ \hline 32 \quad (4 \times 8) \\ 280 \quad (4 \times 70) \\ 1200 \quad (4 \times 300) \\ \hline 1512 \\ \hline 1 \end{array}$ </div> <div style="text-align: center;"> 429×57 $\begin{array}{r} 429 \\ \times 57 \\ \hline 63 \quad (9 \times 7) \\ 140 \quad (7 \times 20) \\ 2800 \quad (7 \times 400) \\ 450 \quad (50 \times 9) \\ 1000 \quad (50 \times 20) \\ 20000 \quad (50 \times 400) \\ \hline 24453 \\ \hline 11 \end{array}$ </div> </div>																				
Step 6	Using a traditional vertical method for short and long multiplication	<div style="display: flex; justify-content: space-around;"> <div style="text-align: center;"> 378×4 $\begin{array}{r} 378 \\ \times 4 \\ \hline 1512 \\ \hline 33 \end{array}$ </div> <div style="text-align: center;"> 429×57 $\begin{array}{r} 429 \\ \times 57 \\ \hline 3003 \\ 26 \\ \hline 21450 \\ 14 \\ \hline 24453 \end{array}$ </div> </div>																				
Step 7	Adjusting place value to multiply decimal numbers	429×5.7 – multiply by 10 – 429×57 $\begin{array}{r} 429 \\ \times 57 \\ \hline 3003 \\ 26 \\ \hline 21450 \\ 14 \\ \hline 24453 \end{array}$ <p>24453 – divided by 10 = 2445.3</p>																				

Written multiplication is supported by a growing confidence of applying 'learn it' facts-a retention of times tables. Developing this in conjunction with the steps presented in the Mental calculation policy will provide support to written methods-allow for the use of such supports, such as number squares and ask 'yourself'-what is the objective of the lesson as to what support is to be provided. If students are learning the use of the grid method, then a number square or fact families can support their developing proficiency.

Division (From step 2, begin to use 'Where's Mully?' to enhance knowledge of multiples-see appendix 2)

Step	Method	Example
Step 1	Using pictures to group objects.	$12 \div 3 = 4$ 
Step 2	As repeated subtraction on a number line (progressing to an unmarked number line).	$12 \div 3 = 4$ 
Step 3	As repeated subtraction on a number line – involving remainders.	$13 \div 4 = 3r1$ 
Step 4	As repeated subtraction of multiples (or chunks) of the divisor.	$75 \div 5 = 15$ 
Step 5	Chunking method for short division (dividing by a unit). (See appendix 3 for using coin facts to support chunking)	$117 \div 9 = 13$  $120 \div 9 = 13r3$ 
Step 6	Chunking method for dividing by 2 digit numbers (See appendix 3 for using coin facts to support chunking)	$280 \div 14 = 20$  $286 \div 14 = 20r6$ 
Step 7	Compact 'bus stop' method. (Attention to detail needs to be professionally applied, as an understanding of the maths by the student needs to be assured)	$362 \div 7 = 51r5$  $547 \div 23 = 23r18$ 
Step 8	Division involving decimals.	Dividing by decimals by recognising them in terms of proportion. $36 \div 1.2$ is the same as $360 \div 12 = 30$ ('Use what they know')

Review


This policy is monitored by the Maths Subject Leader and the Senior Leadership Team through:

- Regular scrutiny of pupil's books;
- Regular monitoring of teaching plans;
- Lesson observations to monitor the quality of teaching and implementation of teaching plans;
- Discussion and feedback from staff;
- Pupil interviews.

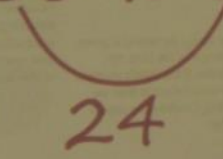
This policy is reviewed by staff and governors at least once every two years and whenever Government policy changes. The next review is due by May 2015. Parents are most welcome to request copies of this document and comments are invited from anyone involved in the life of the school.

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Appendix 1

Smile Multiplication 

$$30 \times 80 = 2400$$



- Do the tables bit
- Count the zeros in the question
- Put the zeros on your answer!

Appendix 2

Where's Mully?




He's hiding behind the biggest multiple of...

...without going past...

Step 1

I can find Mully using my tables



Tables Time

"Where's Mully?" works best when there are remainders. It is very useful as a revise session for recall of multiplication facts. In this first step of "Where's Mully?" the numbers he hides behind never go past 10 times the number. So, for example, if he was hiding behind the biggest multiple of 5 then the teacher would give a range of numbers to choose from up to 50. The whole idea is that we teach children to see multiples they recognise 'jumping out' from within the range of given numbers. Sticking with multiples of 5 as an example, if the range is up to 38 then 35 should jump out as the biggest multiple. If the range is up to 23 then 20 should jump out as the biggest multiple. As soon as the teacher asks, 'How do you know?' high quality numeracy dialogue has begun!

He's hiding behind the biggest multiple of 5 without going past 23. So... Where's Mully?

He's hiding behind the biggest multiple of 5 without going past 17. So... Where's Mully?

He's hiding behind the biggest multiple of 5 without going past 42. So... Where's Mully?

Appendix 3

Coin facts (works just as well for 1 digit numbers)

$\times 32$	
1	32
2	64
5	160
10	320

65	
$\times 32$	
1	32
2	64
5	160
10	320
20	640
50	1600
100	3200
65	2080